

Units in astrophysics

(Read Chapters 1, 2, and 3 of “Fundamentals of Astrophysics” by Stan Owocki)

Angles: There are 360 degrees in a circle.
There are 60 arcminutes in one degree ($60' = 1^\circ$).
There are 60 arcseconds in one arcminute ($60'' = 1'$). (“The Babylonian’s Revenge”)

The Moon covers about half a degree, or about 30 arcminutes.

The resolution limit (the smallest detail) the unaided human eye can see is about $1'$.

The resolution limit of the Campus Observatory’s telescope is about $2-3''$.

This is set by turbulence in Earth’s atmosphere, called *seeing*.

The best ground-based telescopes (on Earth’s surface) get $0.25''$ resolution 25% of the time, although computer-controlled adaptive optics can do better.

The resolution limit of *Hubble Space Telescope* is $0.07''$. This is because it is above Earth’s atmosphere, so the seeing is perfect. It’s still limited by diffraction, because light has wave properties (see Chapter 2).

One arcsecond is a *tiny* angle. It’s only $1/3600^{\text{th}}$ of one degree. If I were 2 miles from you and I held up a dime, you would see it cover one arcsecond ($1''$).

Astronomers now routinely measure angles of less than $1''$.

The state-of-the-art is now milliarcseconds, or $1/1000^{\text{th}}$ of $1''$.

This is the angle covered by a dime 2000 miles from you (in Chicago, from Fresno).

CGS units (centimeters-grams-seconds) (cm-g-s) (which really shouldn't be a big deal):

The original definition of the gram (during the French Revolution, when the metric system was created) was that one gram of water at room temperature and at atmospheric pressure has a volume of 1 cm^3 .

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|---------------------------------|---|
| Density: | 1 g cm^{-3} for liquid H_2O 7 g cm^{-3} for solid Fe 14 g cm^{-3} for solid Pb 22.6 g cm^{-3} for solid osmium (element 76) $10^6 \text{ g cm}^{-3} = 1 \text{ metric Tonne/cm}^3$ for white dwarf material $10^{14} \text{ g cm}^{-3} = 10^8 \text{ T/cm}^3$ for neutron star material |
| Force: | 1 dyne = $1 \text{ g cm s}^{-2} = 10^{-5}$ Newtons |
| Energy: | 1 erg = $1 \text{ g cm}^2 \text{ s}^{-2} = 10^{-7}$ Joules 1 erg \approx the kinetic energy of a mosquito landing on you, pronounced “ergs” (not “urges”). |
| Power (also called luminosity): | 1 erg $\text{s}^{-1} = 10^{-7}$ Watts |
| Magnetic field: | 1 gauss = 10^{-4} Tesla Earth's B field $\sim 0.5 \text{ G}$ (Gauss) The Sun's global B field $\sim 1 \text{ G}$ In a big sunspot, B $\sim 2000\text{-}6000 \text{ G}$ Highest B fields known (in magnetars) $\sim 10^{15} \text{ G} = 10^{11} \text{ T}$ Highest B field generated in a lab on Earth = $1200 \text{ T} = 1.2 \times 10^7 \text{ G}$ |

Owocki's book uses both CGS units and physics-standard MKS (meters-kg-s) (SI) units.
The Astrophysical Journal no longer changes MKS units into cgs units in papers they publish.
Are things changing?

Hybrid, or “canonical” units (scaled for what's to be measured):

$$1 \text{ solar mass} = 1 M_{\odot} = 2 \times 10^{33} \text{ g} = 2 \times 10^{30} \text{ kg}$$

$$1 \text{ Jupiter mass} = 2 \times 10^{27} \text{ kg} = (1/1047.57) M_{\odot} \approx 10^{-3} \text{ solar masses}$$

$$1 \text{ Earth mass} = 6 \times 10^{24} \text{ kg} = 1/317.8 \text{ Jupiter masses}$$

$$1 \text{ solar luminosity} = 1 L_{\odot} = 3.8 \times 10^{33} \text{ erg s}^{-1} = 3.8 \times 10^{26} \text{ W} \approx 4 \times 10^{33} \text{ erg s}^{-1}$$

It's easy to memorize $2 \times 10^{33} \text{ g}$ and $4 \times 10^{33} \text{ erg s}^{-1}$, which may be why astronomers still use cgs units.

$$1 \text{ solar radius} = 1 R_{\odot} = 7 \times 10^{10} \text{ cm} = 7 \times 10^8 \text{ m} = 7 \times 10^5 \text{ km}$$

Speeds are often given in km/s.

$$1 \text{ Astronomical Unit} = 1 \text{ A.U.} = \text{the average distance between Earth and Sun} \\ = 93 \text{ million miles} = 1.5 \times 10^8 \text{ km} = 150 \text{ million km} = 1.5 \times 10^{13} \text{ cm}$$

$$1 \text{ light-year} = \text{the distance light travels in one year} = 6 \text{ trillion miles} = 9.46 \times 10^{12} \text{ km}$$

$$1 \text{ parsec} = 3.26 \text{ light-years} = 3.086 \times 10^{13} \text{ km} = 3.086 \times 10^{18} \text{ cm} = 3.086 \times 10^{16} \text{ m}$$

1 parsec is defined to be the distance corresponding to an annual trigonometric parallax of 1".

Astronomers prefer to use **parsecs** over light-years, since parallax is something astronomers measure.